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Eccentric connectivity index of molecular grapgs of chemical trees with application to alkynes (Article)

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Let G = (V, E) be a simple connected **molecular** graph. The **eccentric connectivity index** ξ (G) is a distance-based **molecular** structure descriptor that was recently used for mathematical modelling of biological activities of diverse nature. In such a simple **molecular** graph, vertices represent atoms and edges represent chemical bonds, we denoted the sets of vertices and edges by V = V (G) and E = E(G), respectively. If d(u, v) be the notation of distance between vertices $u, v \in V$ and is defined as the length of a shortest path connecting them. Then, the eccentricity **connectivity index** of a **molecular** graph $G(G) = \sum_{v \in V} G(G) \log(v) \exp(v)$, where $G(G) = \sum_{v \in V} G(G) \log(v) \exp(v)$, where $G(G) = \sum_{v \in V} G(G) \log(v) \exp(v)$, where $G(G) = \sum_{v \in V} G(G) \log(v) \exp(v)$, where $G(G) = \sum_{v \in V} G(G) \log(v) \exp(v)$, where $G(G) = \sum_{v \in V} G(G) \log(v) \exp(v)$, where $G(G) = \sum_{v \in V} G(G) \log(v) \exp(v)$, where $G(G) = \sum_{v \in V} G(G) \log(v) \exp(v)$, where $G(G) = \sum_{v \in V} G(G) \log(v) \exp(v)$, where $G(G) = \sum_{v \in V} G(G) \log(v) \exp(v)$, where $G(G) = \sum_{v \in V} G(G) \log(v) \exp(v)$, where $G(G) = \sum_{v \in V} G(G) \log(v) \exp(v)$, where $G(G) = \sum_{v \in V} G(G) \log(v) \exp(v)$, where $G(G) = \sum_{v \in V} G(G) \log(v) \exp(v)$, where $G(G) = \sum_{v \in V} G(G) \log(v) \exp(v)$, where $G(G) = \sum_{v \in V} G(G) \log(v) \exp(v)$, where $G(G) = \sum_{v \in V} G(G) \log(v)$, where $G(G) = \sum_{v \in V} G(G) \log(v)$ and is defined as the number of adjacent vertices with $G(G) = \sum_{v \in V} G(G) \log(v)$. In this paper, we establish the general formulas for the eccentricity **connectivity index** of **molecular** graphs classes of **chemical trees** with application to **alkynes**. $G(G) = \sum_{v \in V} G(G) \log(v)$ and is defined as the length of $G(G) = \sum_{v \in V} G(G)$ and is defined as the length of $G(G) = \sum_{v \in V} G(G)$ and is defined as the length of $G(G) = \sum_{v \in V} G(G)$ and is defined as the length of $G(G) = \sum_{v \in V} G(G)$ and is defined as the length of $G(G) = \sum_{v \in V} G(G)$ and is defined as the length of $G(G) = \sum_{v \in V} G(G)$ and is defined as the length of $G(G) = \sum_{v \in V} G(G)$ and is de

Author keywords

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